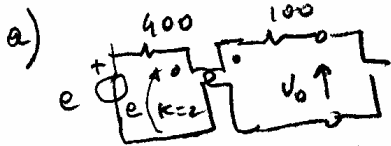
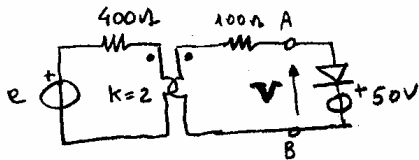


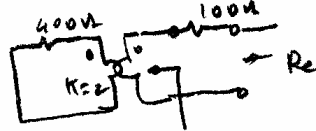
COGNOME (IN STAMPATELLO)	NOME	MATRICOLA	ELETTROTECNICA 1 14 luglio-2005 2 ^a appello
	DOCENTE:		

Per ogni esercizio riportare sia il risultato che il procedimento utilizzato (utilizzare solamente questo foglio, che va riconsegnato al termine della prova).

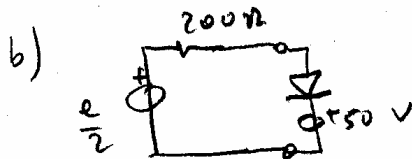
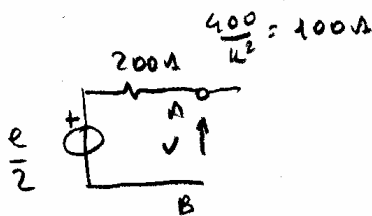
- 1) a) Rappresentare secondo **Thevenin** il bipolo a sinistra dei terminali A e B indicati.
 b) Tracciare il grafico quotato uscita-ingresso della tensione di uscita v (in volt) rispetto alla tensione di ingresso e (in volt).



$$v_0 = \frac{e}{k} = \frac{1}{2} e$$



$$R_e = \frac{400}{k^2} + 100 = 200 \Omega$$



$$\frac{e}{2} > 50 \quad \text{ON}$$

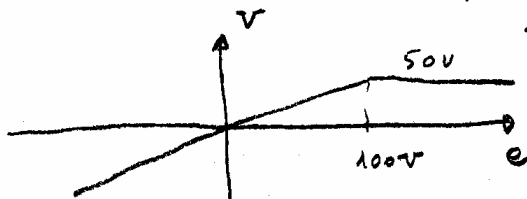
$$v = 50 \text{ V}$$

$$\frac{e}{2} < 50 \quad \text{OFF}$$

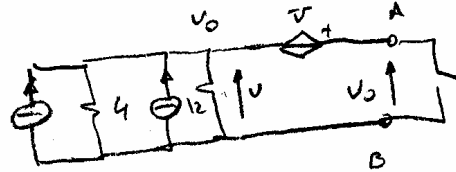
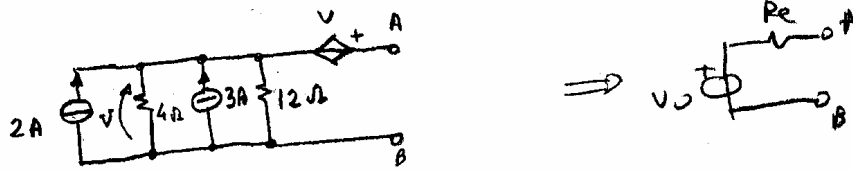
$$v = \frac{e}{2}$$

$$\frac{e_0}{2} = 50$$

$$e_0 = 100 \text{ V}$$



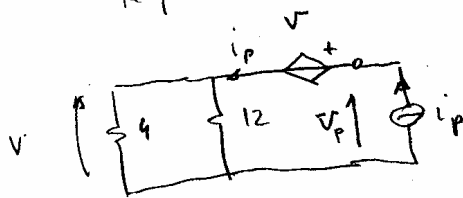
2) Calcolare l'equivalente Thevenin del bipolo di morsetti a-b.



$$V = (2 + 3) \cdot 4 \parallel 12 = 5 \cdot \frac{48}{16} = 15 \text{ volt}$$

$$V_0 = 2V = 30 \text{ volt}$$

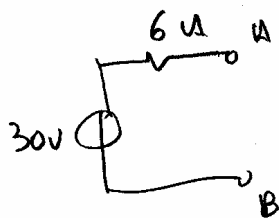
Req



$$V = 4 \parallel 12 \cdot i_p = 3 i_p$$

$$V_p = V + V = 2V = 6 i_p$$

$$R_e = \frac{V_p}{i_p} = 6 \Omega$$

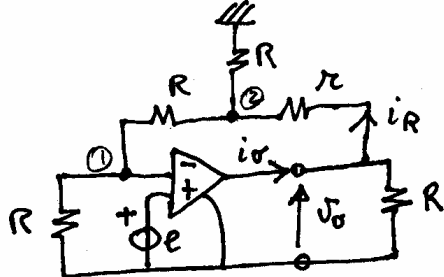


3) Esprimere:

a) la tensione v_o , la corrente i_R e la corrente i_o ;

b) la potenza elettrica uscente (erogata) dall'amplificatore operazionale ideale. nel

con $\tau = \frac{1}{3} R$



METODO NODI

$$\textcircled{1} \quad \frac{V_1}{R} + \frac{V_1 - V_2}{R} = 0$$

$$\textcircled{2} \quad \frac{V_2 - V_1}{R} + \frac{V_2}{R} + \frac{V_0 - V_2}{\tau} = 0$$

$$V_- = V_+ \rightarrow V_1 = e$$

$$\frac{e}{R} + \frac{e}{R} - \frac{V_2}{R} = 0$$

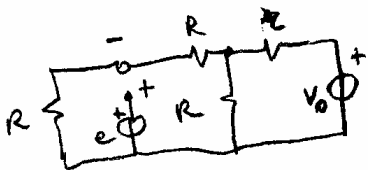
$$V_2 = 2e$$

$$\frac{2e - e}{R} + \frac{2e}{R} + \frac{V_0 - V_2}{\tau} = 0$$

$$\frac{V_0}{\tau} = \frac{3e}{R} + \frac{2e}{\tau}$$

$$V_0 = \left(\frac{3\tau}{R} + 2 \right) e$$

METODO ALTERNATIVO



$$V_- = \frac{1}{2} \frac{R \parallel (2R)}{R \parallel (2R) + \tau} V_0 = e$$

$$\frac{1}{2} \frac{\frac{2}{3} R}{\frac{2}{3} R + \tau} V_0 = e$$

$$\frac{R}{2R + 3\tau} V_0 = e \rightarrow V_0 = \left(\frac{2 + 3\tau}{R} \right) e$$

$$P = v_o i_o$$

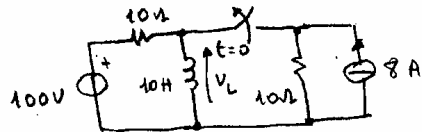
$$V_0 = (2 + 1)e = 3e$$

$$i_o = i_R + \frac{V_0}{R} = \frac{V_0 - V_2}{\tau} + \frac{V_0}{R} =$$

$$= \frac{3e}{R} + \frac{3e}{R} = \frac{6e}{R}$$

$$P = \frac{3e \cdot 6e}{R} = \frac{18e^2}{R}$$

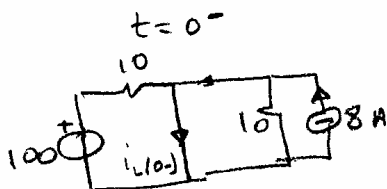
- 4) La rete in figura è a regime prima della apertura dell'interruttore. L'interruttore si **apre** nell'istante $t=0$. Calcolare e disegnare qualitativamente la tensione $v_L(t)$ prima e dopo l'apertura dell'interruttore.



$$t=0^- \quad v_L = 0$$

$$t > 0 \quad v_L = (v_L(0^+) - v_{Lp}) e^{-\frac{t}{\tau}} + v_{Lp}$$

$$v_{Lp} = 0 \quad \tau = \frac{L}{R} = 1 \text{ sec}$$



$$i_L(0^-) = \frac{100}{10} + 8 = 18 \text{ A}$$

$t=0^+$



$$v_L(0^+) = 100 - 18 \cdot 10 = -80 \text{ V}$$

$$v_L(t) = -80 e^{-t}$$

