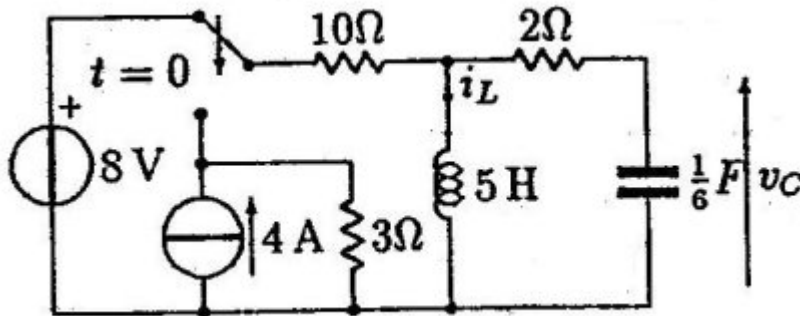


## Esercitazione 5

• **Esercizio 1**

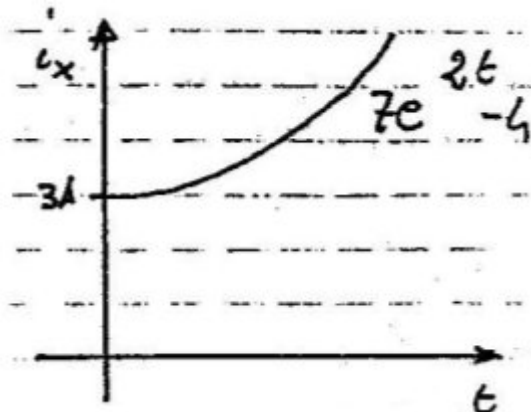
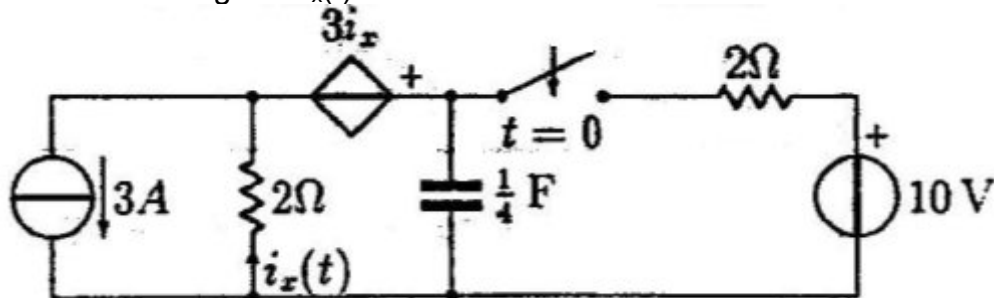
Calcolare  $i_l$ ;  $v_c$ ;  $\frac{di_l}{dt}$ ;  $\frac{dv_c}{dt}$  all'istante  $t = 0^+$



Risposta:  $i_l(0^+) = i_l(0^-) = 0.8A$ ;  $v_c(0^+) = v_c(0^-) = 0V$ ;  $\frac{di_l}{dt} \Big|_{0^+} = 16/375$ ;  $\frac{dv_c}{dt} \Big|_{0^+} = 16/25$

• **Esercizio 2**

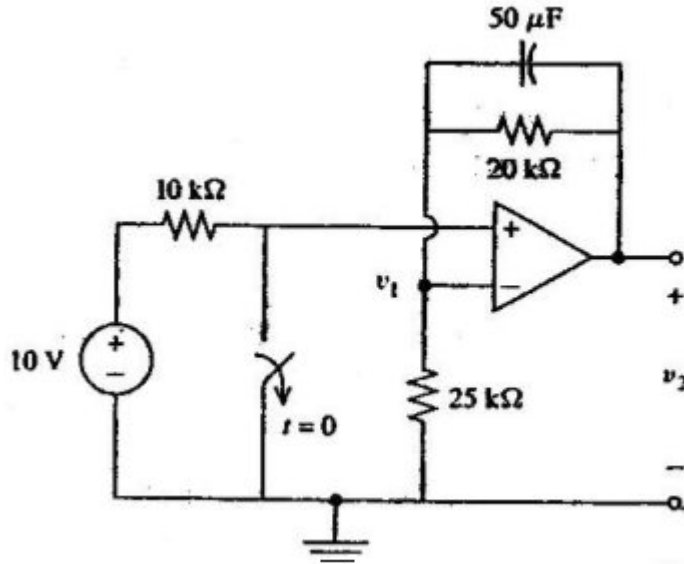
Calcolare e disegnare  $i_x(t)$  discutendo la soluzione ottenuta



Risposta :  $i_x(t) = 7e^{2t} - 4$  Non è un transitorio

**Esercitazione 5**

• **Esercizio 3**



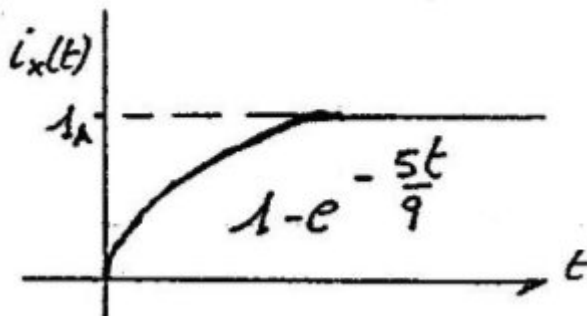
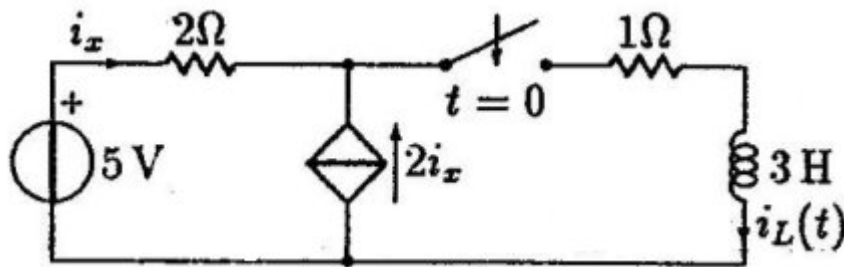
$$V_2(t) = 18 - 8e^{-t}$$

$$t \geq 0$$

$$0, t < 0$$

• **Esercizio 4**

Calcolare e disegnare  $i_L(t)$  per  $t \geq 0^+$

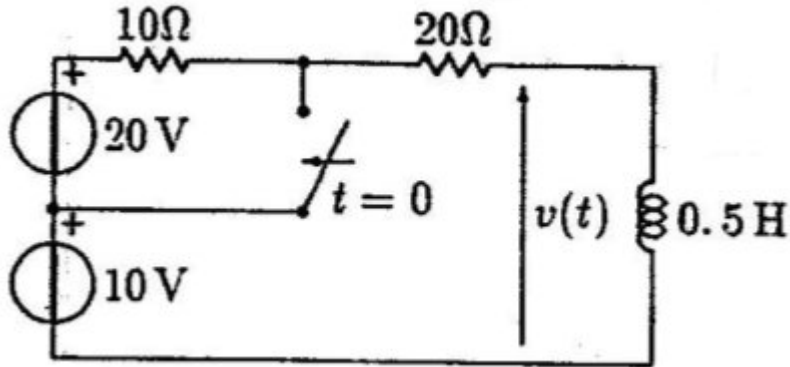


Risposta:  $t < 0 : i_L = 0; \quad t \geq 0 : i_L = 1 - e^{-(5/9)t}$

**Esercitazione 5**

• **Esercizio 5**

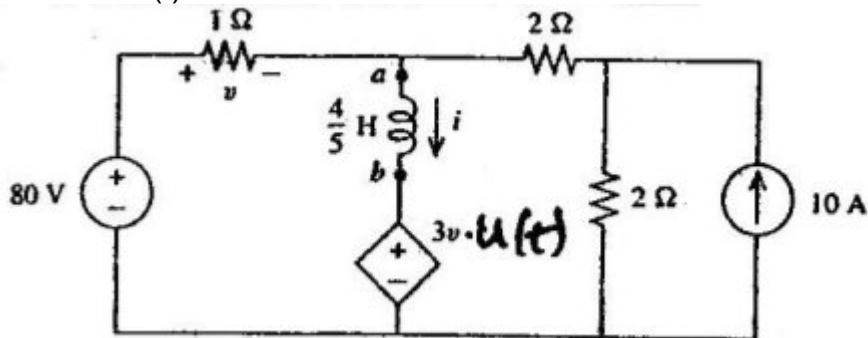
Calcolare  $v(t)$  per  $t \geq 0^+$



Risposta:  $v(t) = -10e^{-40t}$

• **Esercizio 6**

Calcolare  $i(t)$

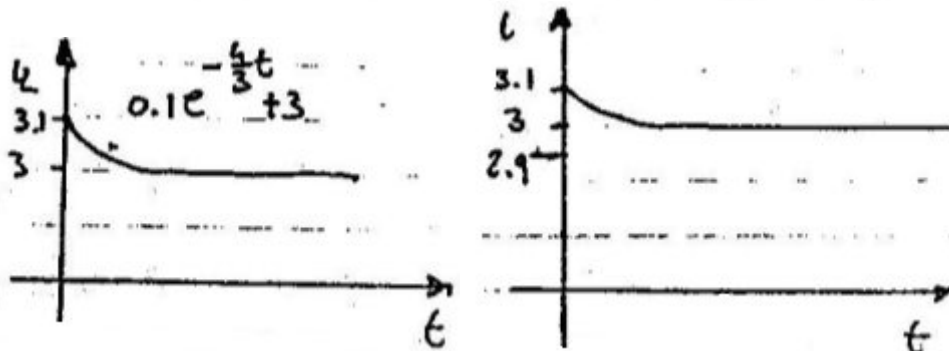
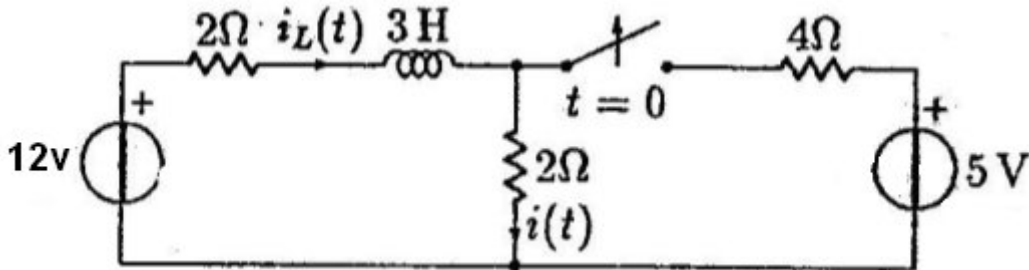


Risposta:  $i(t) = 10 + 75e^{-4t}$  A

**Esercitazione 5**

• **Esercizio 7**

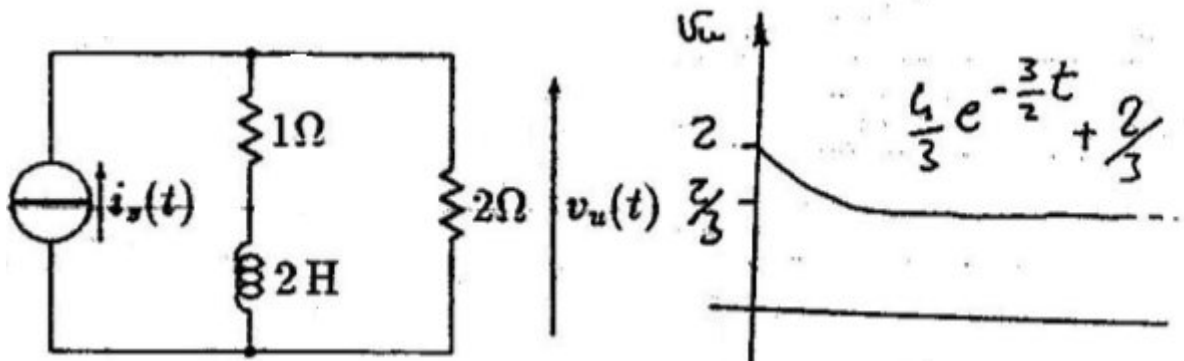
Calcolare e disegnare  $i_L(t)$  e  $i(t)$



Risposta:  $t < 0 : i_L(t) = 3.1\text{A}$ ;  $t \geq 0 : i_L(t) = 3 + 0.1e^{-(4/3)t}$ ;  $t < 0 : v(t) = 2.9\text{V}$ ;  $t \geq 0 : v(t) = 3 + 0.1e^{-(4/3)t}$

• **Esercizio 8**

Nella rete in figura determinare  $v_u(t)$  sapendo che il generatore di corrente è  $i_s(t) = u(t)\text{A}$

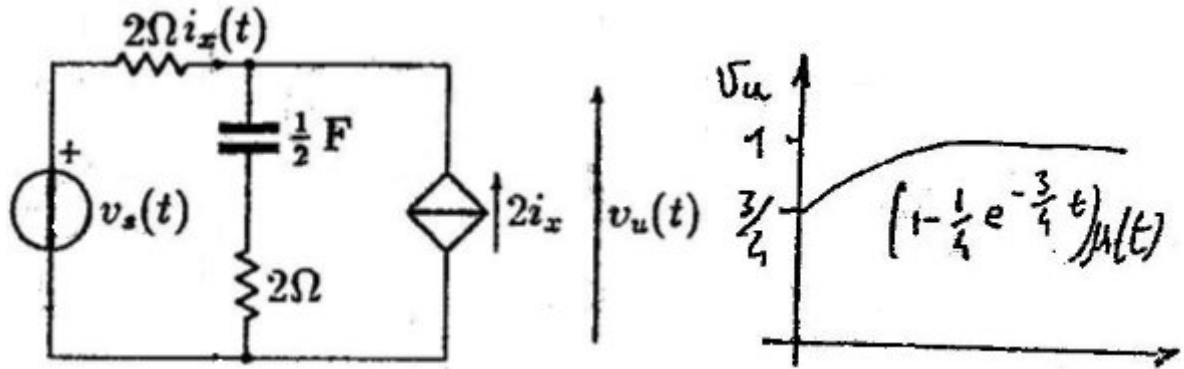


Risposta:  $v_u(t) = 4/3e^{-(3/2)t} + 2/3$

**Esercitazione 5**

• **Esercizio 9**

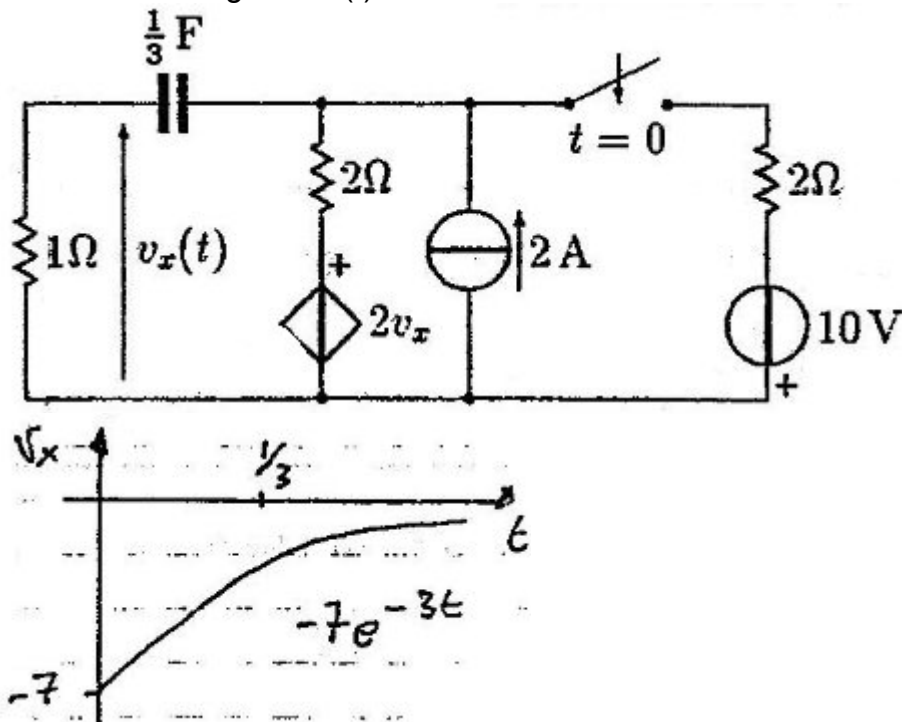
Nota l'ingresso  $v_s(t) = u(t)V$  calcolare e disegnare l'uscita  $v_u(t)$



Risposta:  $v_u(t) = (1 - \frac{1}{4})e^{-(3/4)t}u(t)$

• **Esercizio 10**

Calcolare e disegnare  $v_x(t)$

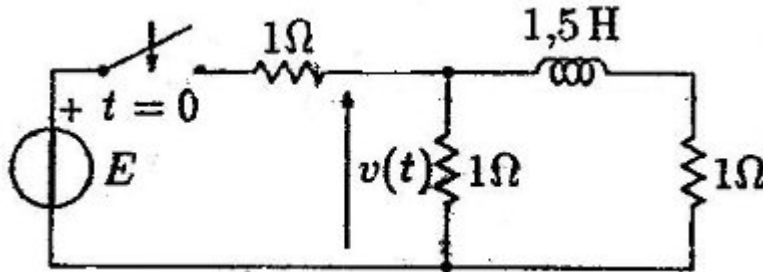


Risposta:  $t > 0 : v_x(t) = -7e^{-3t}$

**Esercitazione 5**

• **Esercizio 11**

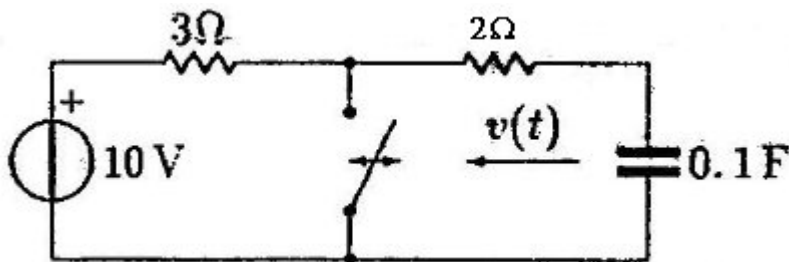
Calcolare  $v(t)$



Risposta :  $v(t) = E/3((1/2)e^{-t}+1)$

• **Esercizio 12**

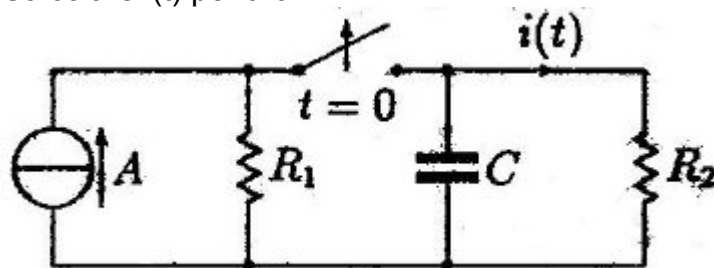
Nel circuito in figura lo switch si apre in  $t=0$  e si chiude in  $t=0.4$ , calcolare  $v(t)$  per  $t \geq 0^+$



Risposta :  $0 < t < 0.4 : v(t) = 4e^{-2t}$  ;  $t > 0.4 : v(t) = -5.5e^{-5(t-0.4)}$

• **Esercizio 13**

Calcolare  $i(t)$  per  $t \geq 0^+$

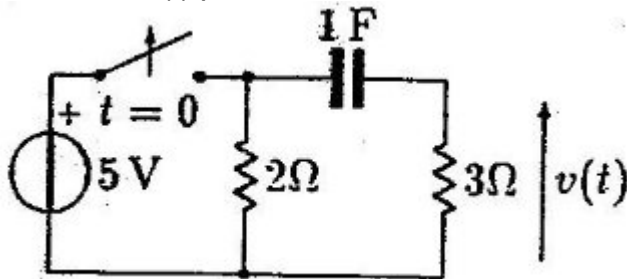


Risposta :  $i(t) = A \frac{R_1}{R_1 + R_2} e^{-t/\tau}$ ,  $\tau = R_2 C$

**Esercitazione 5**

• **Esercizio 14**

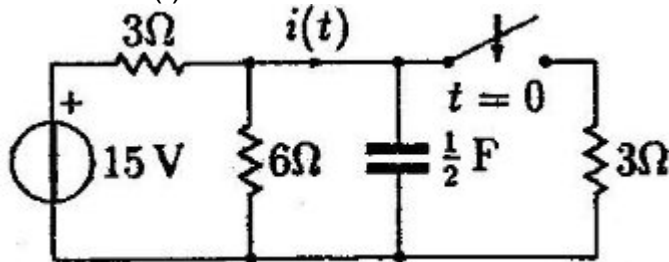
Calcolare  $v(t)$  per  $t \geq 0^+$



Risposta :  $v(t) = -3e^{-(1/5)t}$

• **Esercizio 15**

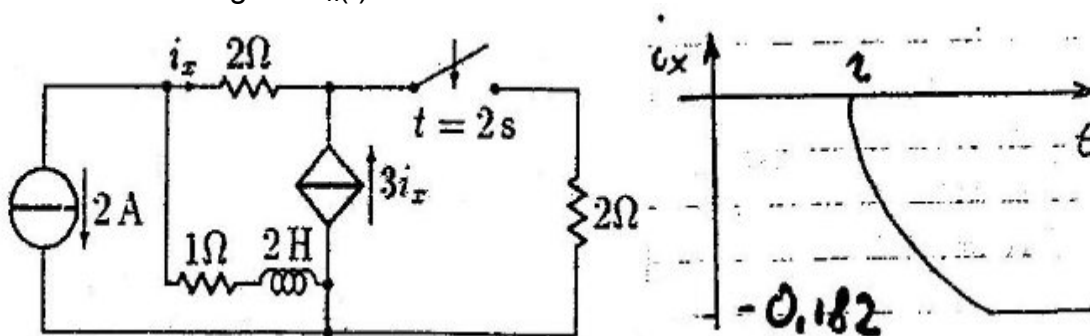
Calcolare  $i(t)$



Risposta :  $i(t) = 2(1 - e^{-(5/3)t})$

• **Esercizio 16**

Calcolare e disegnare  $i_x(t)$

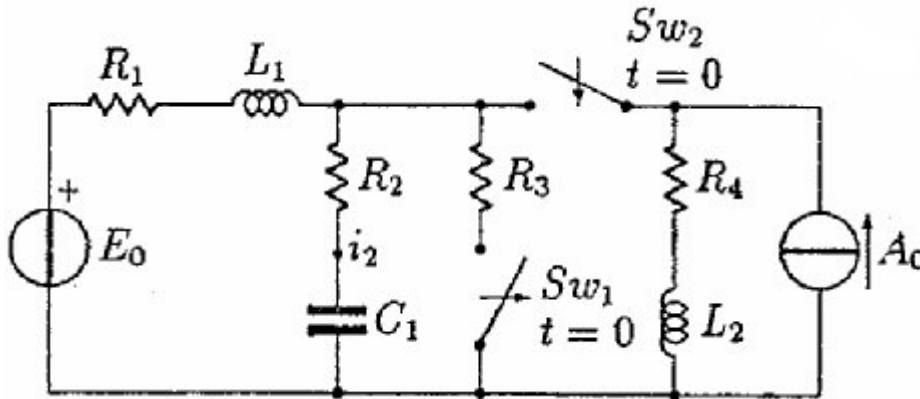


Risposta :  $i_x(t) = 0.182e^{-(11/2)(t-2)} - 0.182$

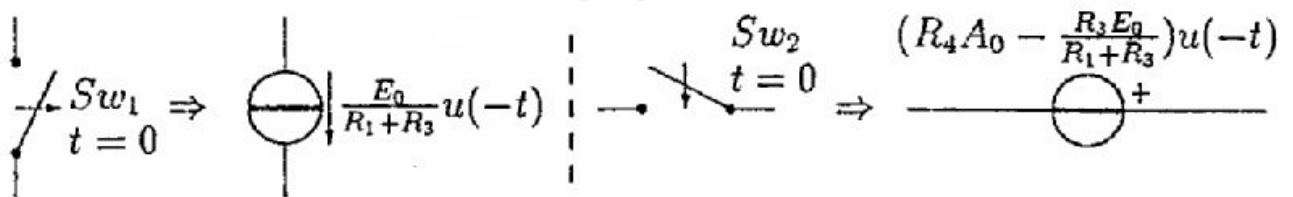
**Esercitazione 5**

• **Esercizio 17**

Nella rete in figura i generatori  $E_0$  e  $A_0$  sono in continua e la rete è operante da  $t = -\infty$ . Determinare i generatori equivalenti agli interruptori e l'uscita  $i(t)$  per  $t=0^+$   $t=0^-$  giustificando la discontinuità



Riposta:  $i_2(0^-) = 0$ ,  $i_2(0^+) = \frac{E_0}{R_1+R_3}$



• **Esercizio 18**

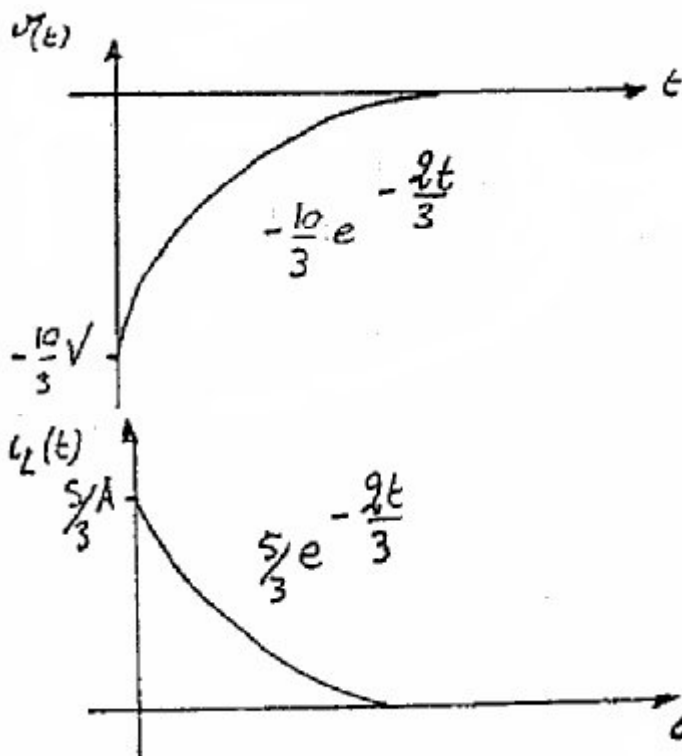
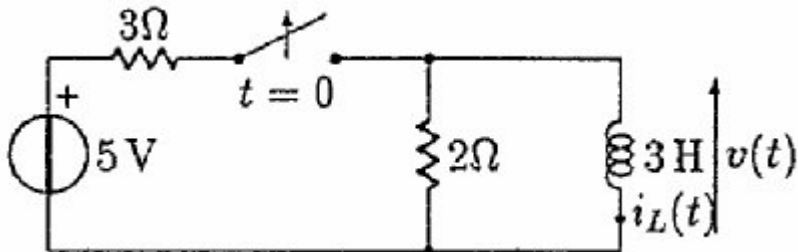
Un alimentatore con tensione  $V_0$  e resistenza  $R$  carica un condensatore  $C$ , quanto vale l'energia erogata dall'alimentatore?

Risposta :  $W=CV_0$



• **Esercizio 19**

Calcolare e disegnare  $v(t)$  e  $i_L(t)$  per  $t \geq 0^+$



Risposta :  $t \geq 0 : i_L = (5/3)e^{-(2/3)t}$  ;  $t < 0 : v(t) = 0$  ;  $t \geq 0 : v(t) = -2i_L = -(10/3)e^{-(2/3)t}$

**Esercitazione 5**

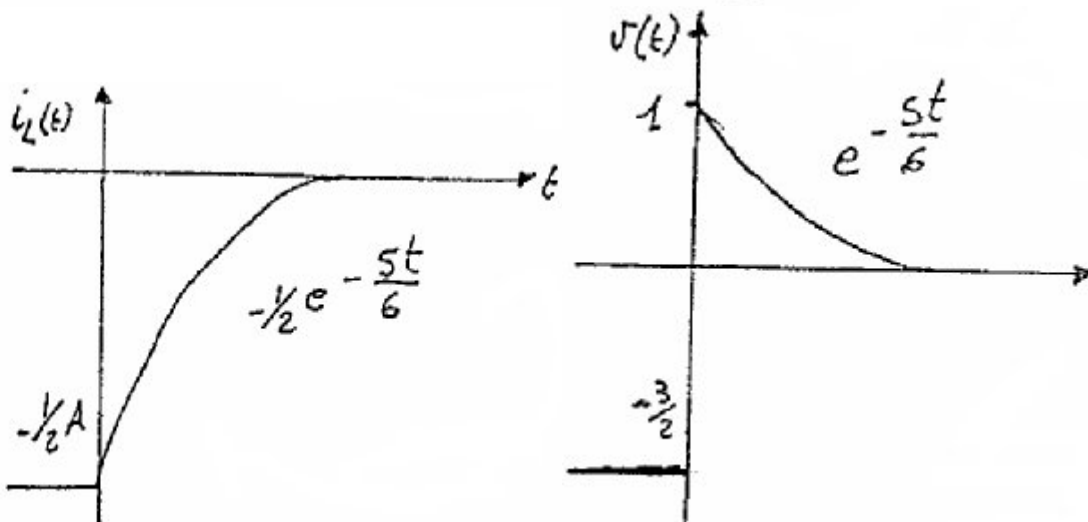
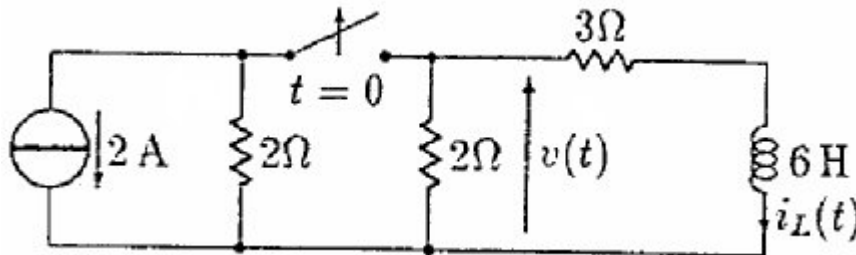
• **Esercizio 20**

Nell'ipotesi di ingressi in c.c. qual è la formula che esprime l'uscita di una rete con una costante di tempo  $\tau$  a partire dall'istante  $t_0$ ?

Risposta :  $y(t) = [y(t_{0+}) - y_{\infty}]e^{-\frac{t-t_0}{\tau}} + y_{\infty}$

• **Esercizio 21**

Calcolare e disegnare  $v(t)$  e  $i_L$  per  $t \geq 0^+$

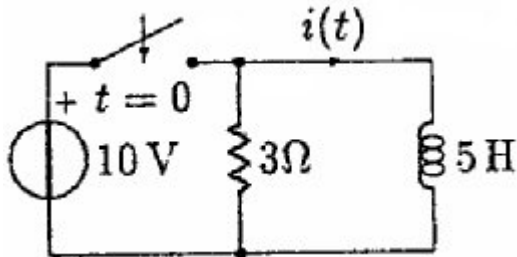


Risposta :  $t < 0 : i_L = -1/2 \text{ A} ; t \geq 0 : i_L = -(1/2)e^{-(5/6)t} ; t < 0 : v(t) = -3/2 ;$   
 $t \geq 0 : v(t) = e^{-(5/6)t}$

**Esercitazione 5**

• **Esercizio 22**

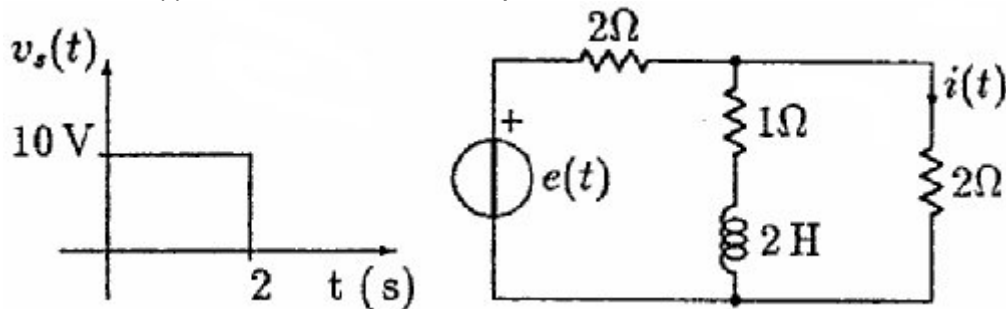
Determinare  $i(0^+)$  e  $\frac{di}{dt}\big|_{0^+}$  assumendo che per  $t < 0$ , l'interruttore è aperto da lungo tempo



Risposta :  $i(0^+) = i(0^-) = 0A$  ;  $\frac{di}{dt}\big|_{0^+} = 2A/s$

• **Esercizio 23**

Calcolare  $i(t)$  noto l'andamento temporale dell'eccitazione alla rete  $v_s$  in figura

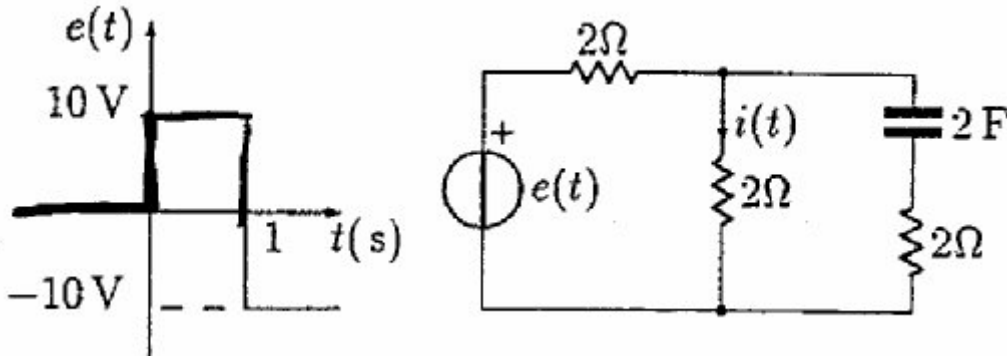


Risposta :  $i(t) = (5/4)(1+e^{-t})u(t) - (5/4)(1+e^{-(t-2)})u(t-2)$

**Esercitazione 5**

• **Esercizio 24**

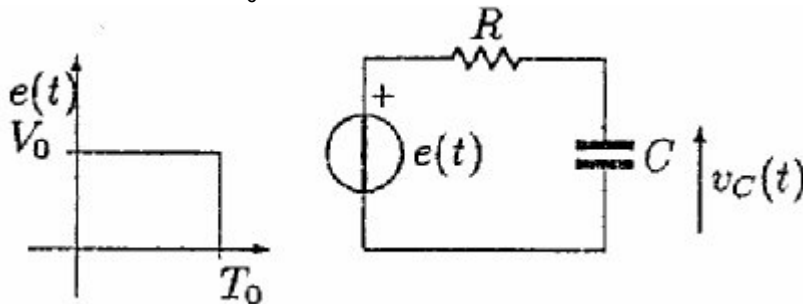
Nota l'andamento temporale di  $e(t)$  fornire un'espressione analitica per l'uscita  $i(t)$



$$\text{Risposta : } i(t) = \left( \frac{5}{2} - \frac{5}{6} e^{-\frac{t}{6}} \right) u(t) + \left( -\frac{10}{3} e^{-\frac{t-1}{6}} - 5 \left( 1 - e^{-\frac{t-1}{6}} \right) \right) u(t-1)$$

• **Esercizio 25**

Nota l'eccitazione del generatore  $e(t)$  sulla rete, calcolare  $v_c(t)$  tracciarne l'andamento al variare di  $R$  e commentare la risposta, ed infine si calcoli l'energia immagazzinata da  $C$  da  $t=0$  a  $t=T_0$



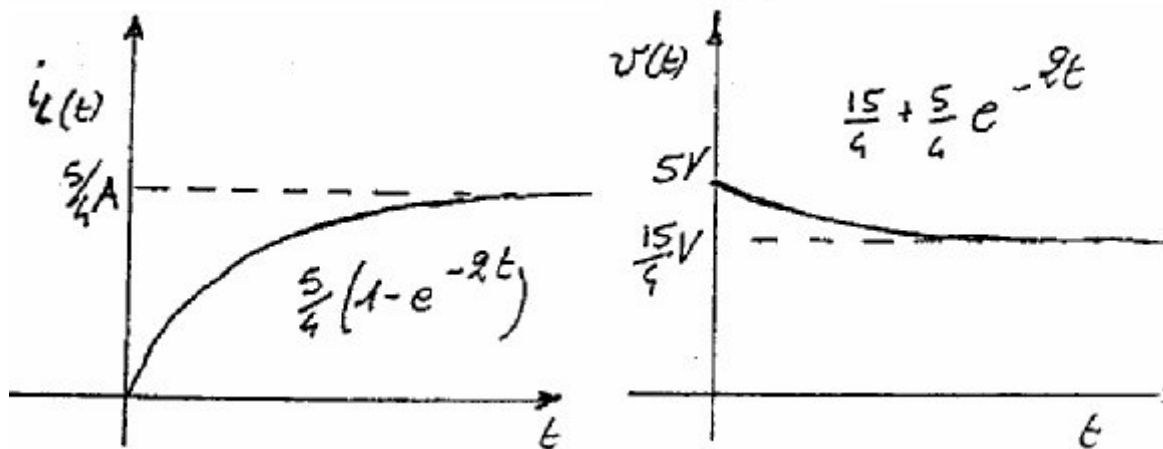
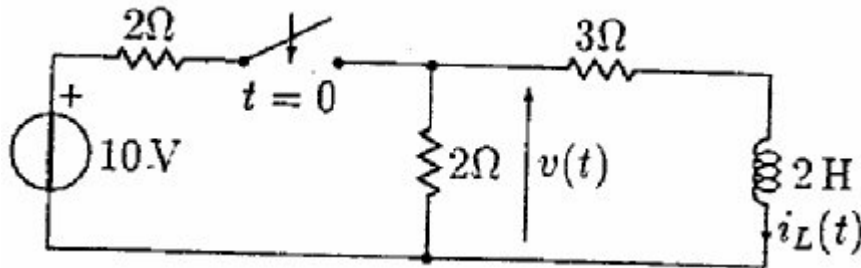
$$\text{Risposta : } 0 \leq t \leq T_0 : v_c(t) = v_0 \left( 1 - e^{-\frac{t}{\tau}} \right) ; T_0 \leq t \leq \infty : v_c(t) = v_0 \left( 1 - e^{-\frac{-T_0}{\tau}} \right) e^{-\frac{t-T_0}{\tau}}$$

$$\tau = RC$$

**Esercitazione 5**

• **Esercizio 26**

Calcolare e disegnare  $v(t)$  e  $i_L$  per  $t \geq 0^+$



Riposta:  $t < 0 : i_L = 0; t \geq 0 : i_L = \frac{5}{4}(1 - e^{-2t});$   
 $t < 0 : v(t) = 0; t \geq 0 : v(t) = \frac{15}{4} + \frac{5}{4}e^{-2t}$